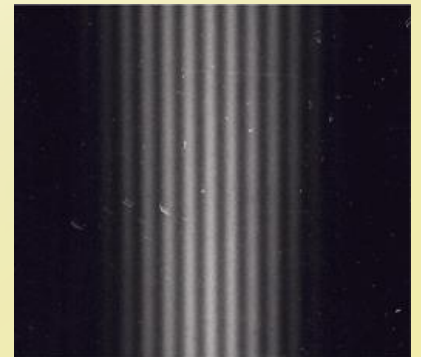
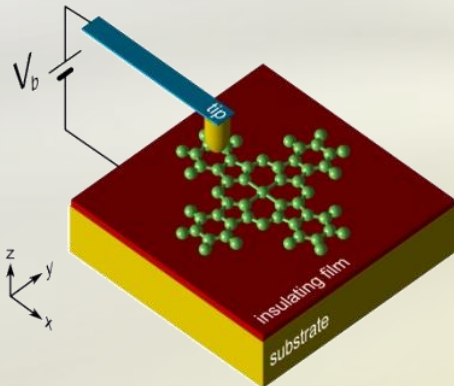


# Topographical fingerprints of many-body interference blocking in STM junctions on thin insulating films

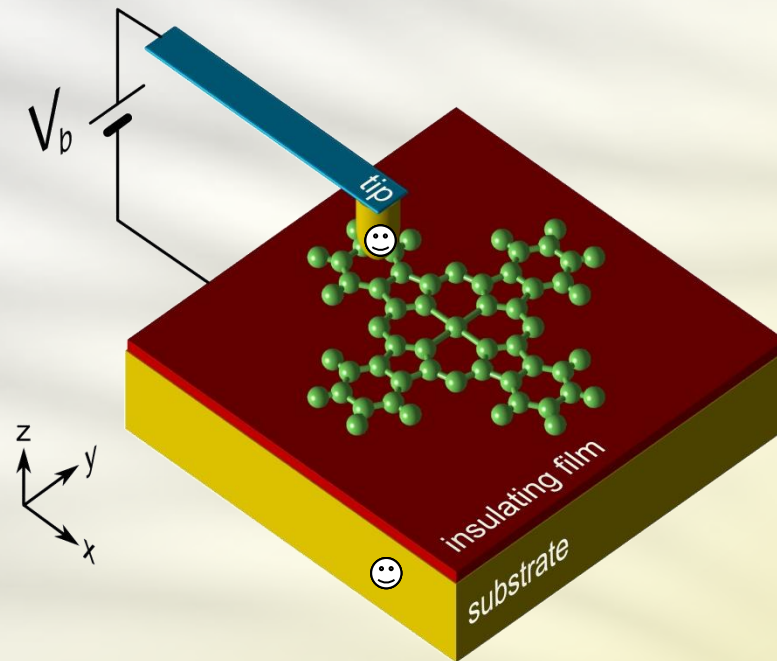
**Andrea Donarini**

Sandra Sobczyk, Benjamin Siegert and Milena Grifoni

*University of Regensburg, Germany*



# STM on thin insulating films



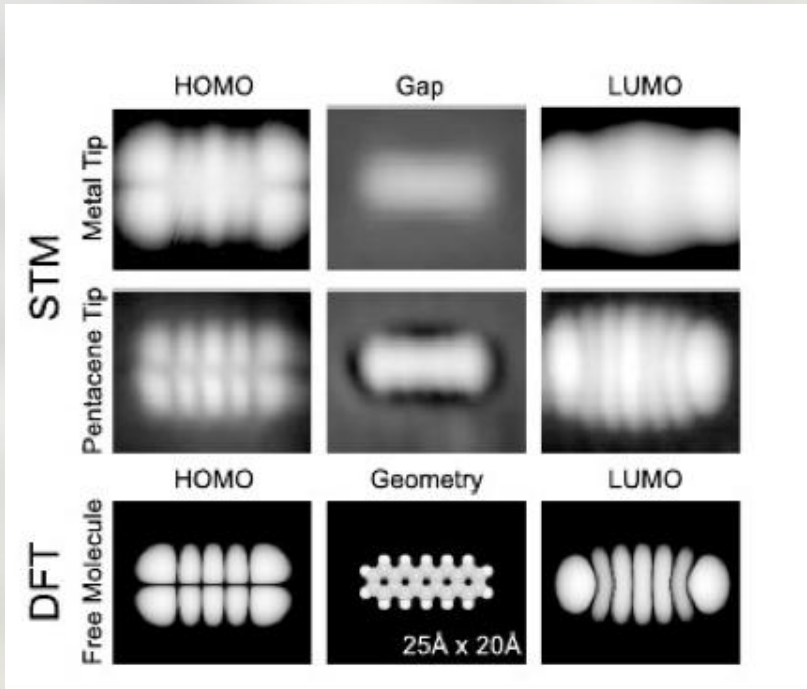
**Weak tip-molecule tunnelling coupling**  
**Low molecule-substrate hybridization**



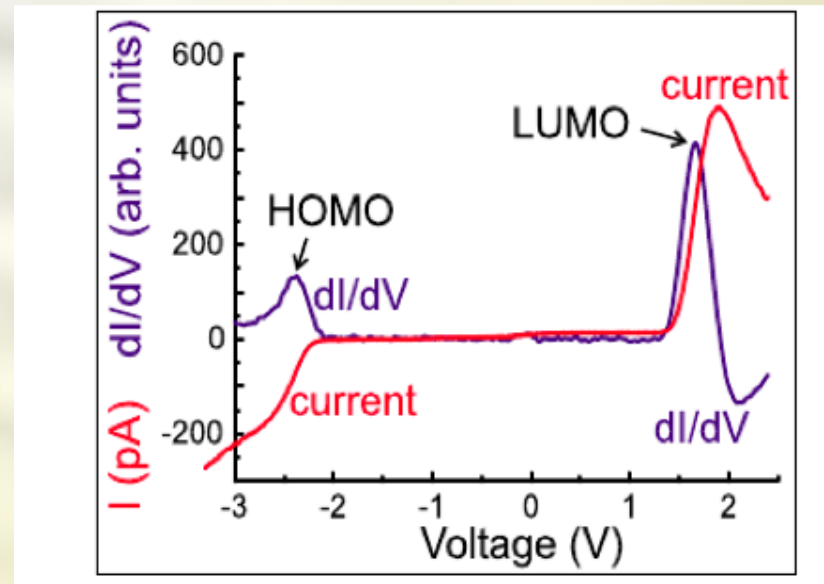
**sequential tunnelling**

# Visualization of molecular orbitals

## Topography

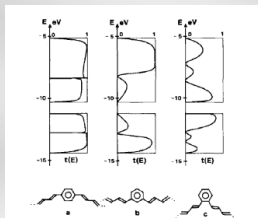


## Spectroscopy

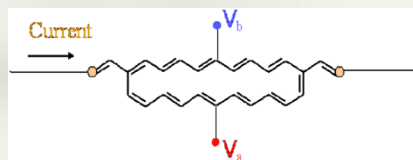


J. Repp and G. Meyer, Physical Review Letters **94**, 026803 (2005)

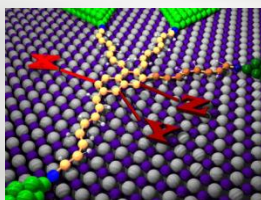
# Intramolecular interference: theoretical proposals



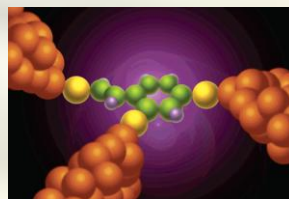
P. Sautet and C. Joachim  
*Chem. Phys. Lett.* **153**, 511 (1988)



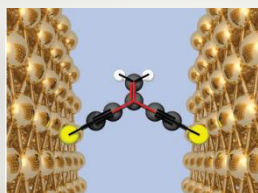
R. Baer and D. Neuhauser  
*JACS*, **124**, 4200 (2002)



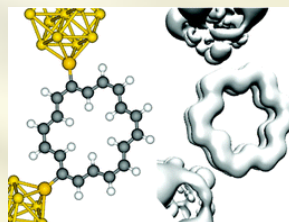
R. Stadler, et al.  
*Nanotechnology*, **14**, 138 (2003)



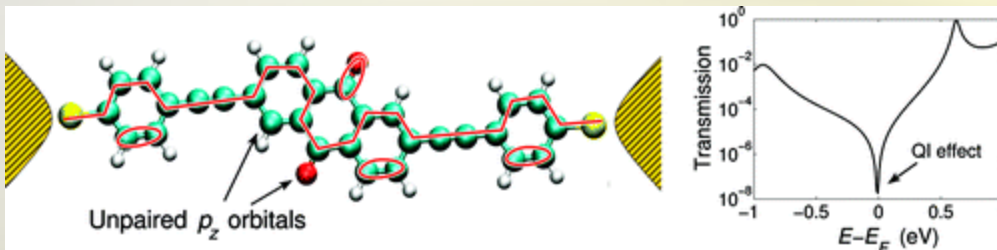
D. V. Cardamone, et al.  
*Nano Lett.*, **6**, 2422 (2006)



G. Solomon, et al.  
*JACS* **130**, 17307 (2008)

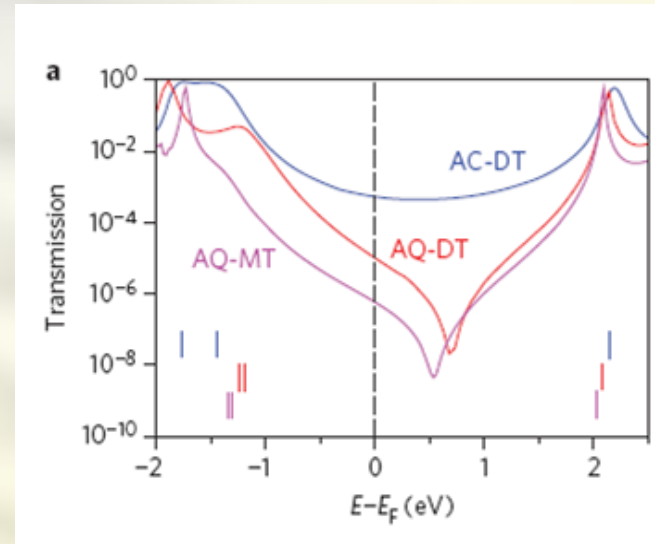
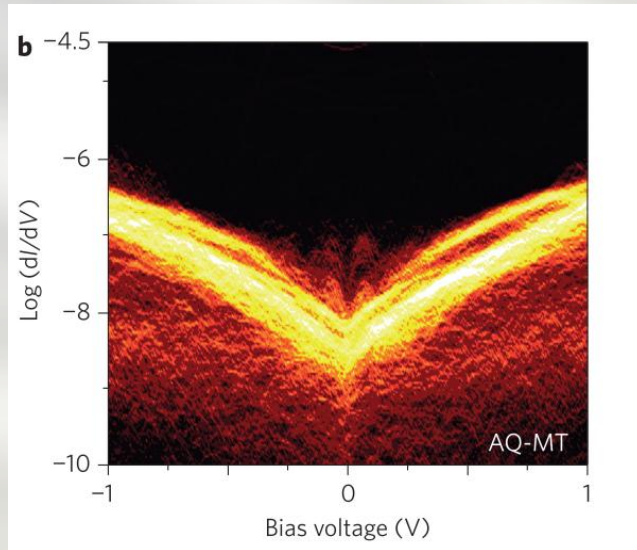


S.H. Ke, et al.  
*Nano Lett.*, **8**, 3257 (2008)



T. Markussen, et al.  
*Nano Lett.*, **10**, 4260 (2010)

# Experimental evidence



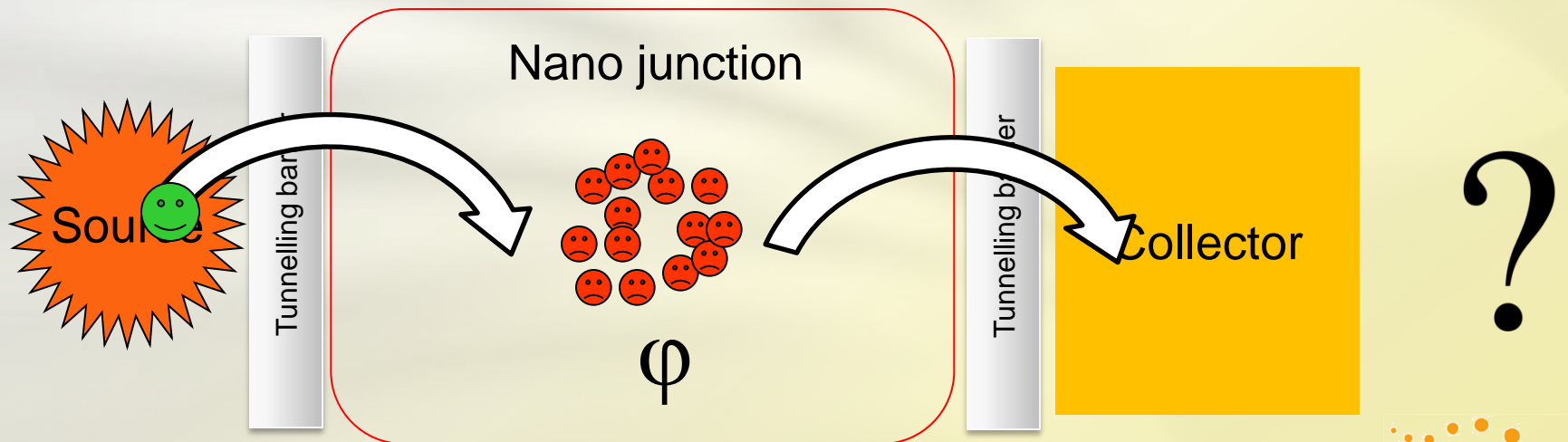
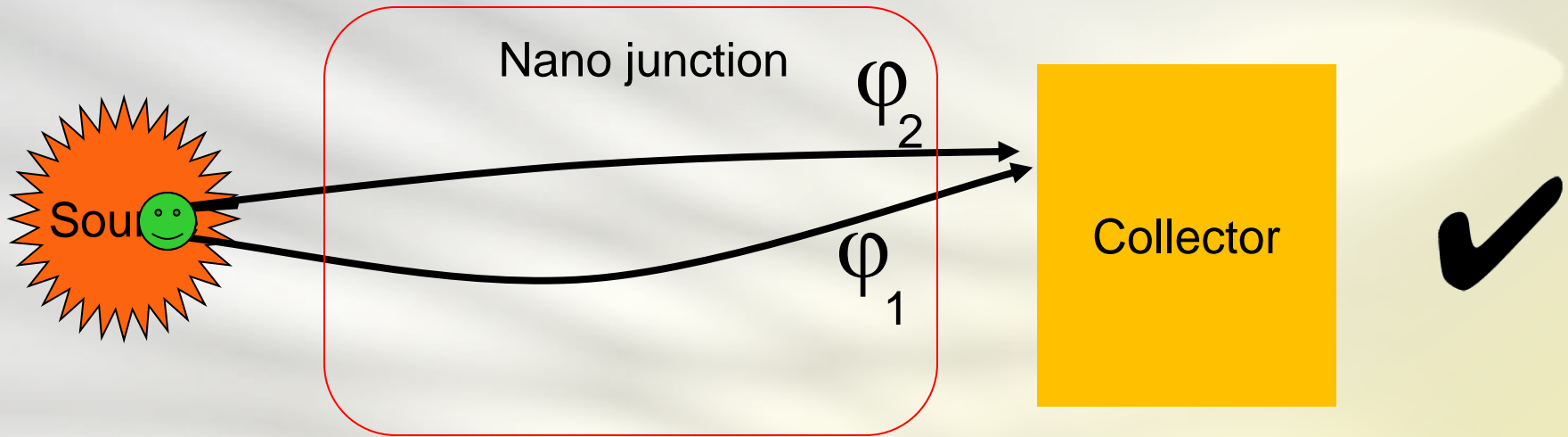
Guédon et al. *Nature Nanotech.* **7**, 305 (2012)

Fracasso et al. *JACS*, **133**, 9556 (2011)

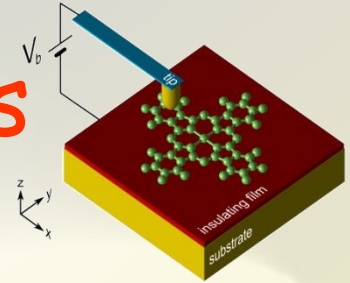
Ballman et al. *PRL* 109, 056801 (2012),

Aradhya et al. *Nano Lett.*, **12**, 1643 (2012)

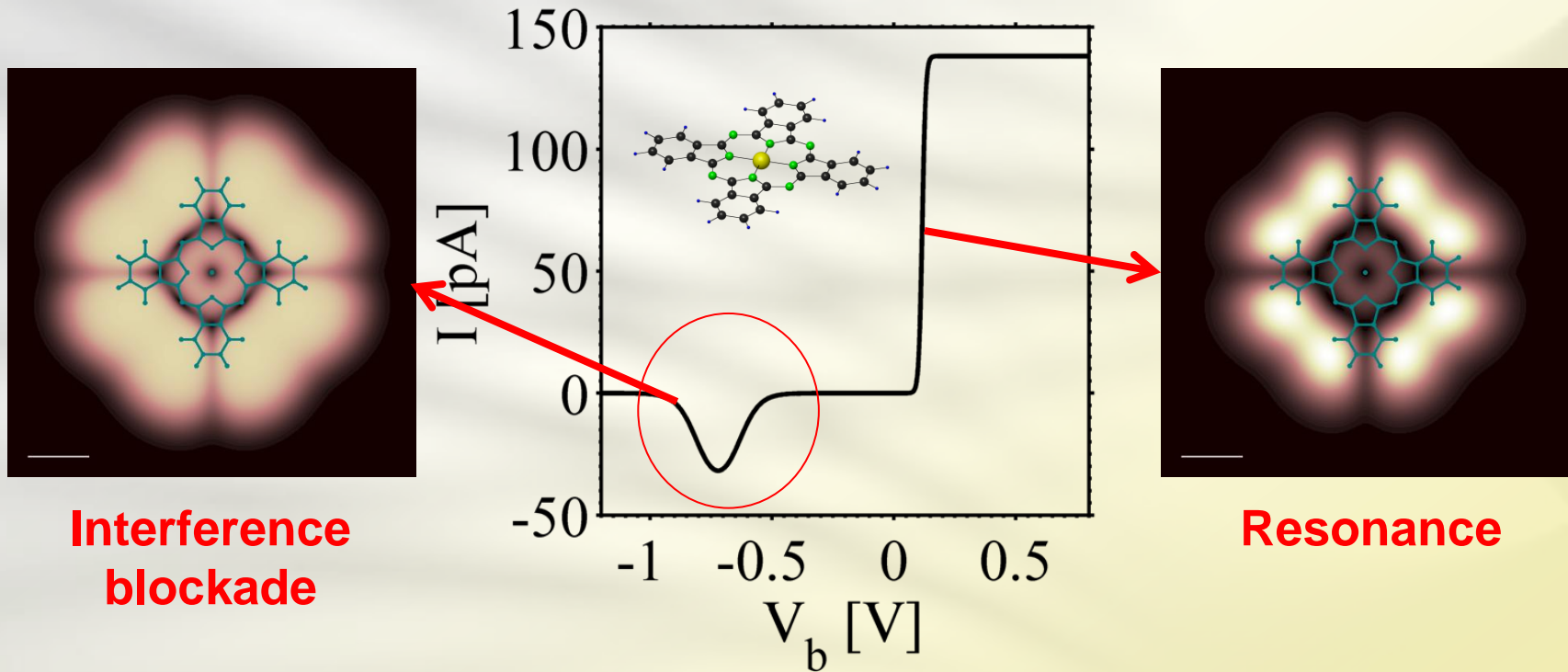
# Interference and dephasing



# Interference fingerprints

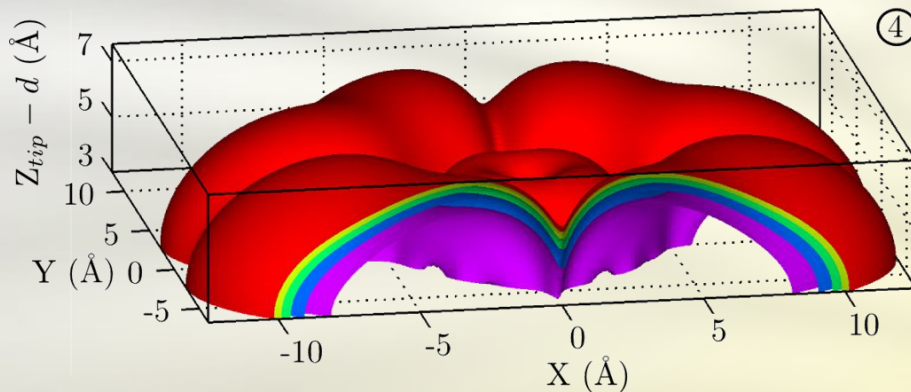
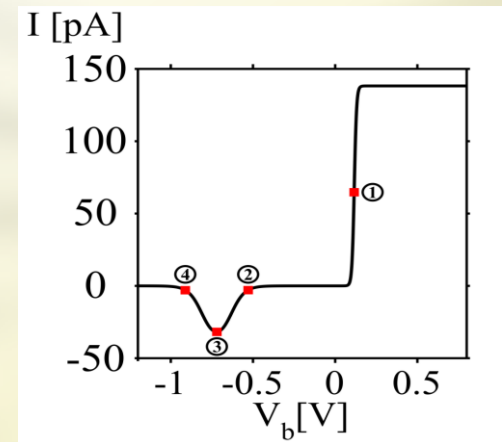
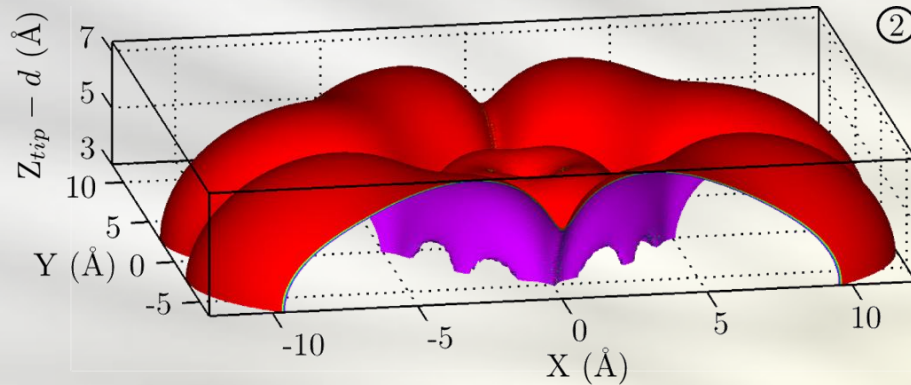


Cu - Phthalocyanine



**Constant height** current maps in resonance and interference blockade

# Interference fingerprints



$$\Delta I/I = 10\%$$

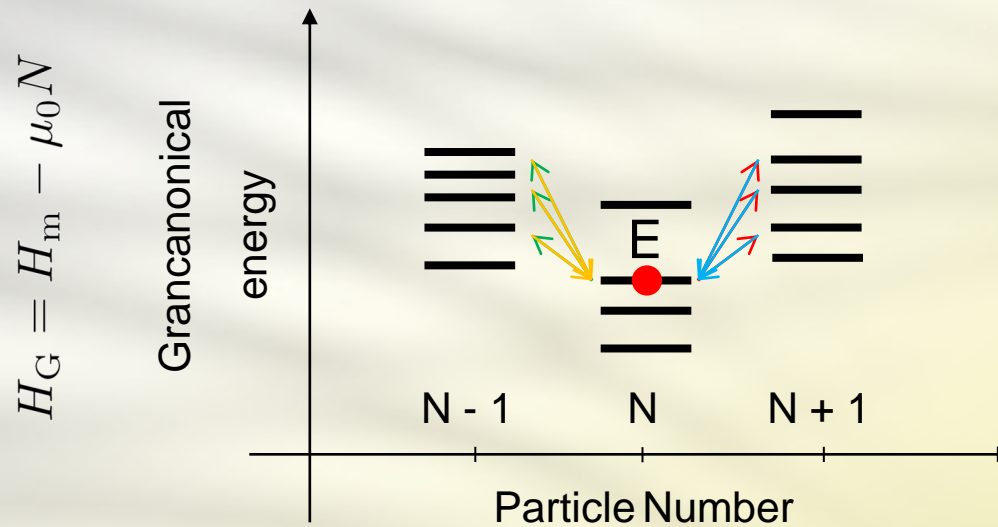
$$\Delta z = 2\text{\AA}$$

**Constant current** topographic maps calculated  
at working currents:  $I = 3.15, 3.075, 3.0, 2.925,$  and  $2.85$  pA

Donarini, Siegert, Sobczyk and Grifoni Phys. Rev. B 86, 155451 (2012)



# Tunnelling dynamics



# Many-body rate matrix

The **current** is proportional to the **transition rate** between **many-body states**

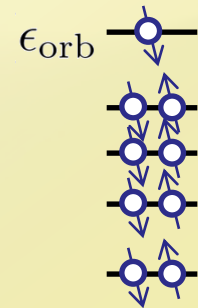
$$R_{N E_0 \rightarrow N+1 E_1}^{\chi\tau} = \sum_{ij} \langle N+1 E_1 | d_{i\tau}^\dagger | N E_0 \rangle \Gamma_{ij}^\chi(E_1 - E_0) \times \\ \langle N E_0 | d_{j\tau} | N+1 E_1 \rangle f^+(E_1 - E_0 - \mu_\chi)$$

where

$$\Gamma_{ij}^\chi(E_1 - E_0) = \frac{2\pi}{\hbar} \sum_k (t_{ki}^\chi)^* t_{kj}^\chi \delta(\epsilon_k^\chi - E_1 + E_0)$$

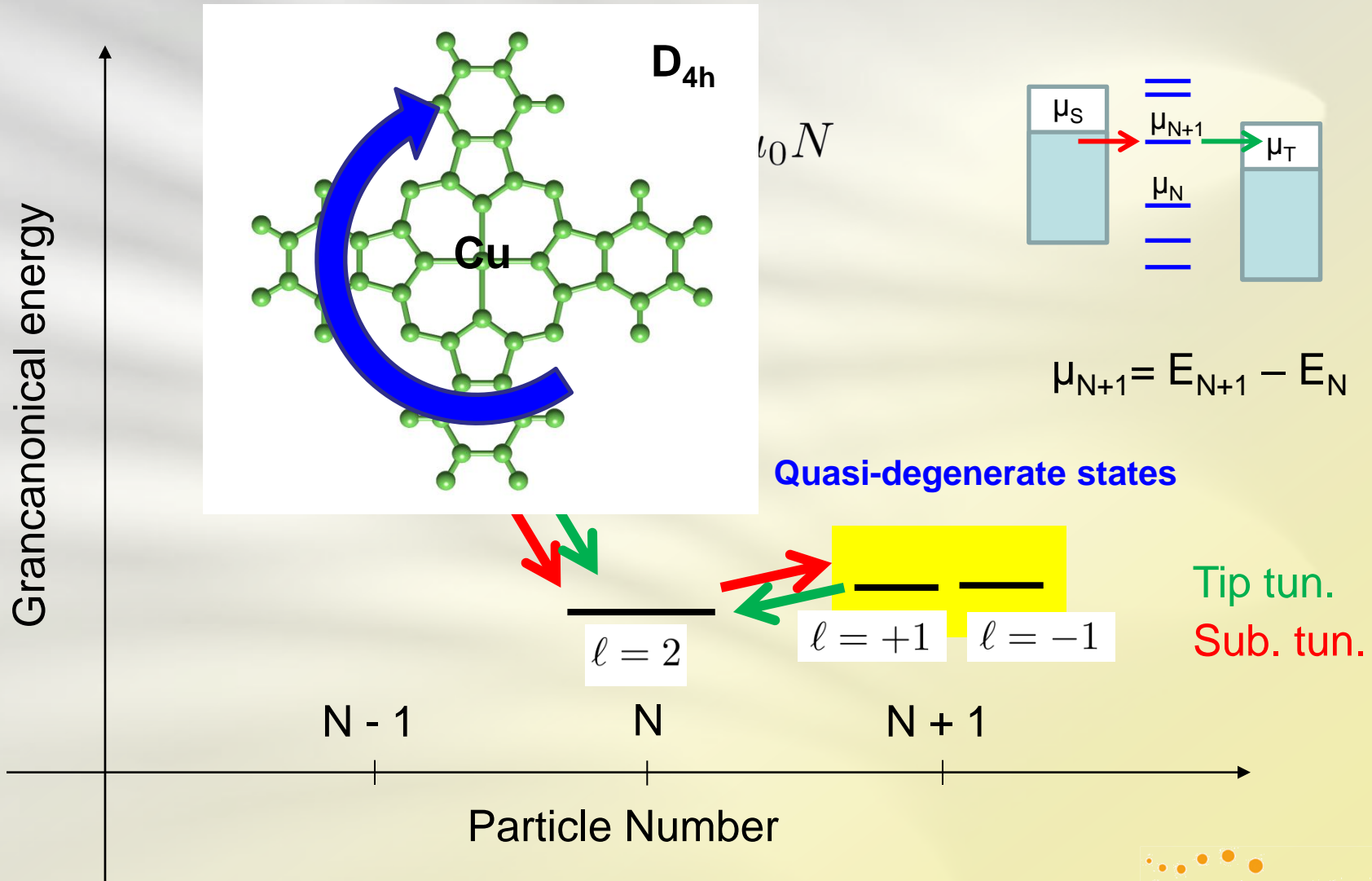
For **uncorrelated** and **non-degenerate systems** the many-body rate reduces to

$$R_{N E_0 \rightarrow N+1 E_1}^{\chi\tau} = \Gamma_{\text{orb}}^\chi(\epsilon_{\text{orb}}) f^+(\epsilon_{\text{orb}} - \mu_\chi)$$



The **constant current map** is the **isosurface** of a **specific molecular orbital**.

# Dynamics in energy space



# Interference: decoupling basis

Degenerate anionic ground state



**Matrix form** for the **many-body tunnelling rate** between the neutral and anionic ground states.

Angular momentum basis

Decoupling basis

Tip

$$\mathbf{R}^T = R_0^T \begin{pmatrix} \overset{\ell=+1}{1} & \overset{\ell=-1}{e^{-2i\phi}} \\ e^{-2i\phi} & 1 \end{pmatrix}$$

Mixes angular momentum

$$\tilde{\mathbf{R}}^T = R_0^T \begin{pmatrix} 2 & 0 \\ 0 & 0 \end{pmatrix}$$

One of the anionic state is **decoupled from the tip**

Substrate

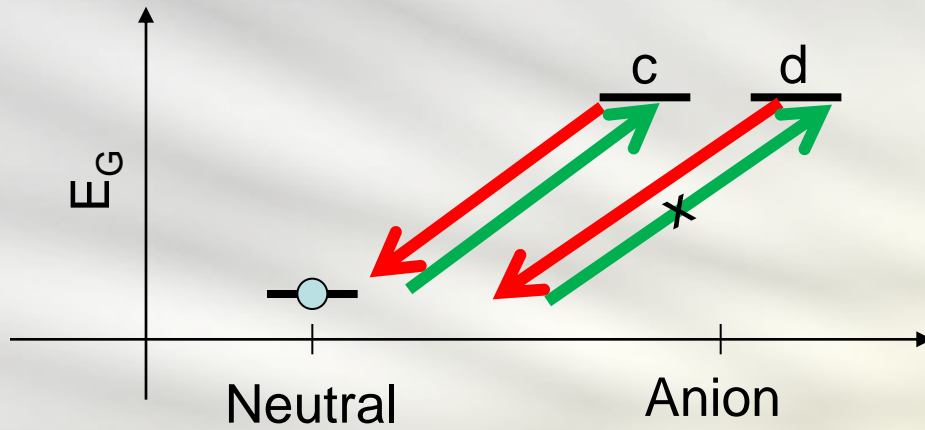
$$\mathbf{R}^S = R_0^S \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$$

Conserves angular momentum

$$\tilde{\mathbf{R}}^S = R_0^S \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$$

Notice that the decoupling basis **depends** on the **tip position**.

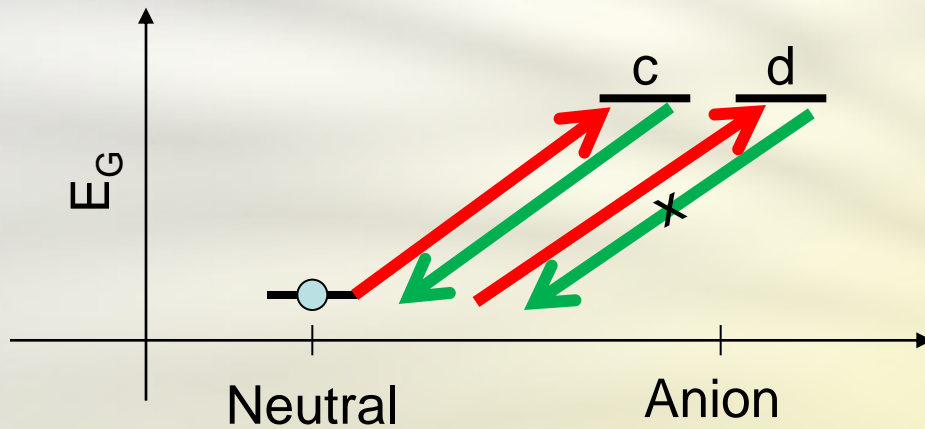
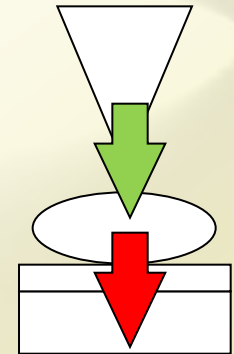
# Interference: current blocking



$$V_b > -\Delta E_G / ec$$



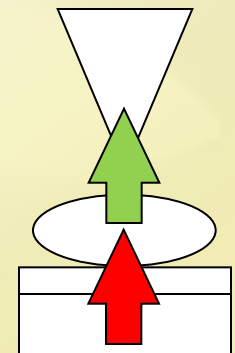
Current



$$V_b < \Delta E_G / e(1 - c)$$

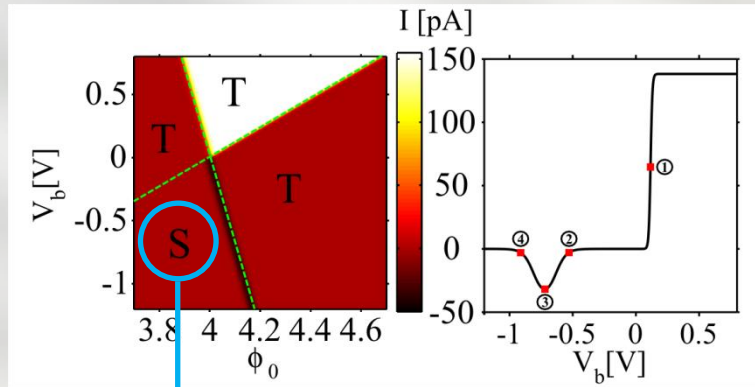


No current

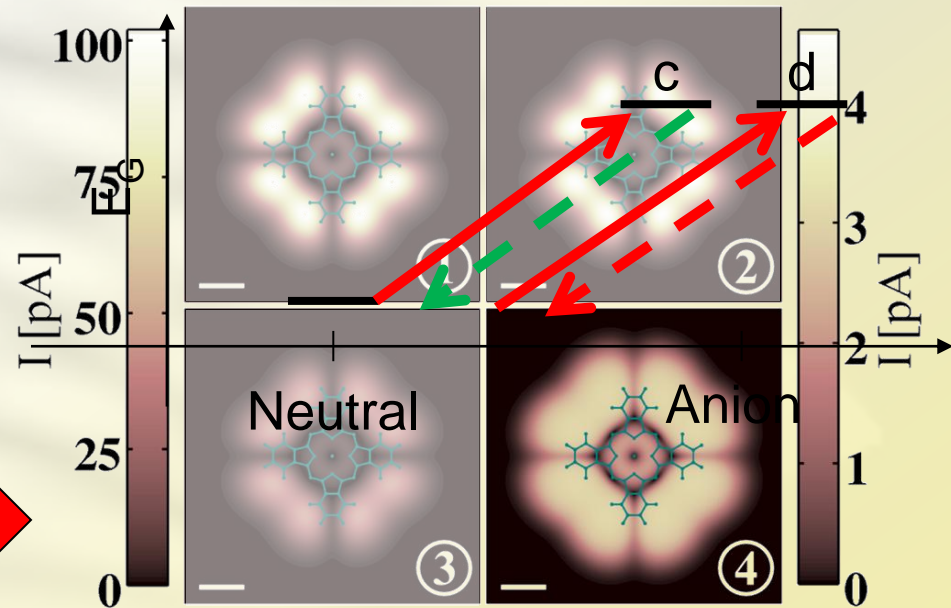
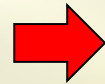


$$\mu_T = \mu_0 - ceV_b \quad \mu_S = \mu_0 + (1 - c)eV_b \quad c \approx 0.9$$

# A new bottle-neck process



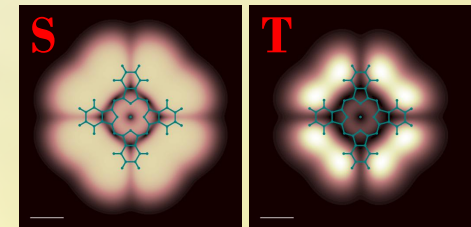
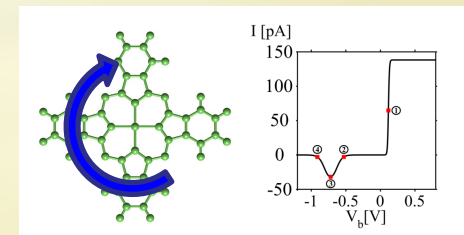
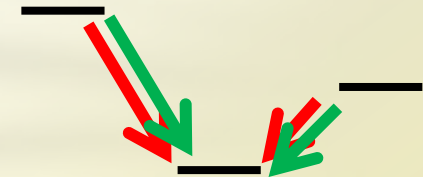
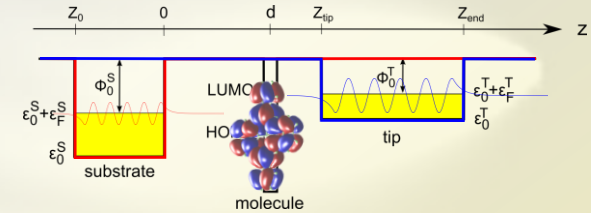
$$I_{IB} = e \frac{R_0^S f_S^- R_0^T f_T^-}{R_0^S f_S^- + R_0^T f_T^-}$$



The **depopulation** of the blocking state via a **substrate transition** dominates the transport.

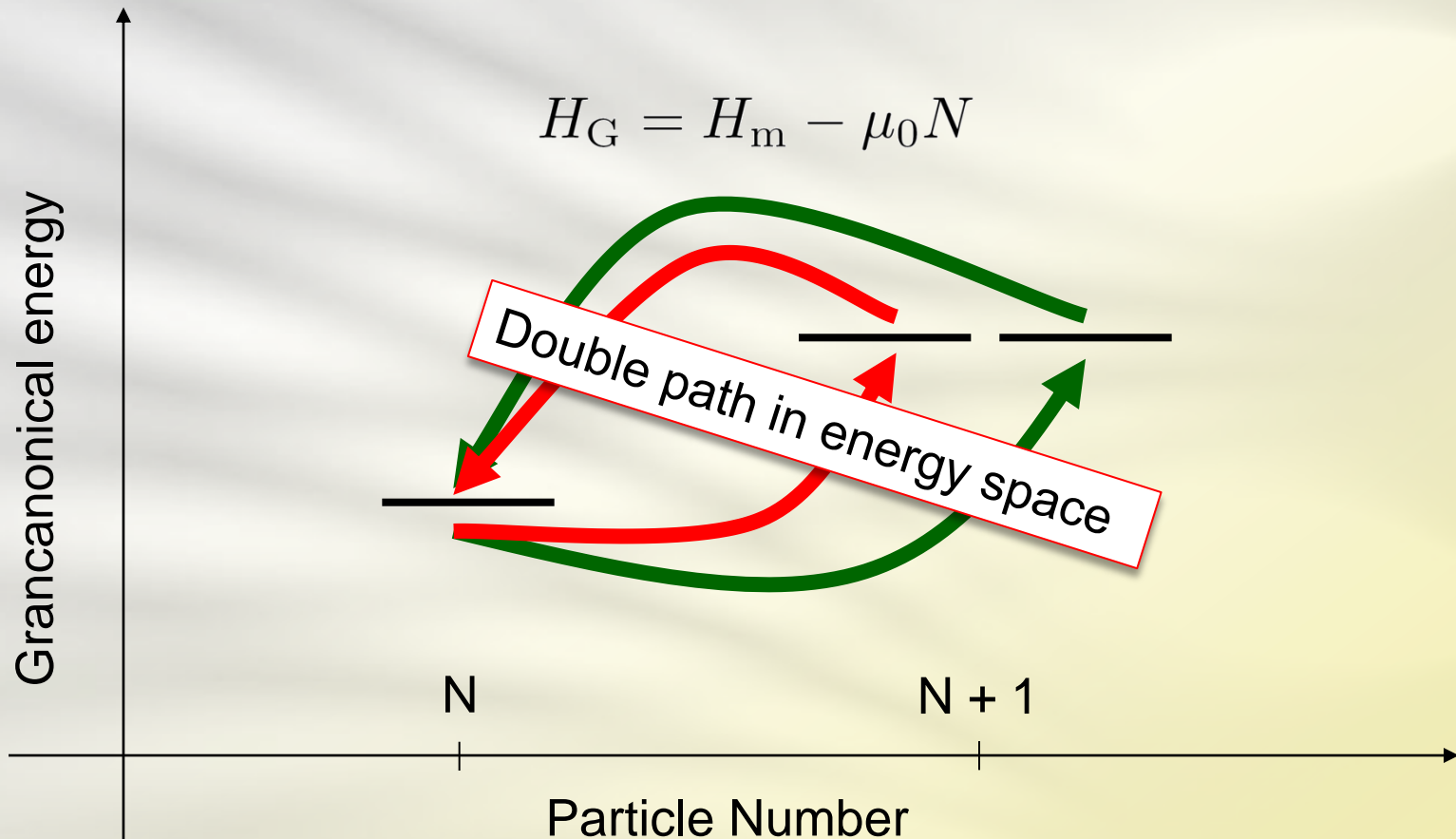
# Conclusions

- We developed a **semi-quantitative model** for the description of double barrier STM junctions with  $\pi$ -conjugated molecules.
- The dynamics is described in terms of **many-body** transitions.
- Transport through **degenerate states** is associated to **electron interference** blockade at negative sample biases.
- Close to the interference blocking regime, **substrate** tunnelling dominates the transport and gives **flat constant height current maps**.



Interference Resonance

# Interference + interaction



Donarini, Begemann, and Grifoni, *Phys. Rev. B* **82**, 125451 (2010)



# Thanks



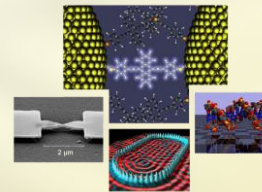
Benjamin Siegert



Sandra Sobczyk



Milena Grifoni



SPP 1243



SFB 689

Thank you for your attention...